| Year: 12<br>Subject:<br>Maths A level | <b>Curriculum Intent:</b> Students will understand mathematics and mathematical processes in a way that promotes confidence, fosters enjoyment and provides a strong foundation for progress to further study. Students to build on their understanding of GCSE maths topics, especially algebra in the first term in order to develop solid foundatons for the more challenging topics in year 13. During year 12 students will be introduced to statistical techniques involving probability and hypothesis testing, and to basic mechanics involving kinematics and forces. Throughout the year students will develop their use of mathematical language and learn to produce work with sufficently detailed solutions. As each new topic is met, links to previous topics will be met as the students build upon this knowledge to solve more complex problems. All assessments will be graded A* to E depending on a percentage grade boundary based on the exam grade boundaries from 2019 and 2022 |   |  |   |  |   |  |
|---------------------------------------|---|---|--|---|--|---|--|
| Topic Titles (in order of delivery)   | Te<br>1. Indices and Surds<br>2. Quadratics<br>3. Polynomials<br>4. Graphs<br>5. Coordinate<br>Geometry   | rm 1<br>1. Kinematics 1<br>2. SUVAT<br>3. Vectors<br>4. Forces and Motion<br>5. Connected Particles   | Te<br>1. Working With Data<br>2. Binomial Expansion<br>3. Probability<br>4. Hypothesis Testing<br>5. Trigonometry  | rm 2<br>1. Differentiation<br>2. Integration<br>3. Kinematics 2<br>4. Logarithms<br>5. Exponential Models   | I.       Radian Measure         2.       Further Trigonometry         3.       Functions         4.       Further         Transformations  | <ol> <li>Rational Functions</li> <li>General Binomial<br/>Expansion</li> <li>Triangle Geometry</li> <li>Radian Measure<br/>Cont.</li> <li>Calculus of<br/>Exponential and<br/>Trig Functions</li> </ol>   |  |
| Key knowledge / Retrieval<br>topics   | <ol> <li>Indices and Surds:         <ul> <li>Understand and be able to use the laws of indices for all rational exponents.</li> <li>Be able to use and manipulate surds, including rationalising the denominator.</li> <li>Quadratics:             <ul> <li>Be able to work with quadratic functions and their</li></ul></li></ul></li></ol>  | <ol> <li>Kinematics 1</li> <li>Understand and be<br/>able to use the<br/>language of<br/>kinematics: position,<br/>displacement,<br/>distance, distance<br/>travelled, velocity,<br/>speed, acceleration,<br/>equation of motion</li> <li>SUVAT:</li> <li>Understand and be<br/>able to use the<br/>fundamental<br/>quantities and units</li> </ol> | <ol> <li>Working with<br/>Data:</li> <li>Understand and be<br/>able to use the<br/>terms 'population'<br/>and 'sample'.</li> <li>Be able to use<br/>samples to make<br/>informal inferences<br/>about the<br/>population.</li> <li>Understand and be<br/>able to use<br/>sampling<br/>techniques,</li> </ol> | <ol> <li>Differentiation:         <ul> <li>Understand and be able to use the derivative of f(x) as the gradient of the tangent to the graph of y=f(x) at a general point (x,y).</li> <li>Be able to show differentiation from first principles for small positive integer powers of x.</li> </ul> </li> </ol> | <ol> <li>Radian Measure:         <ul> <li>Be able to work with radian measure, including use for arc length and area of sector.</li> <li>Know and be able to use exact values of sin θ and cos θ for θ = 0, <sup>1</sup>/<sub>6</sub> π, <sup>1</sup>/<sub>4</sub> π, <sup>1</sup>/<sub>3</sub> π, π and multiples thereof., and exact values of tan θ for θ = 0, <sup>1</sup>/<sub>6</sub> π, <sup>1</sup>/<sub>4</sub> π, <sup>1</sup>/<sub>3</sub> π, π and multiples thereof.</li> </ul> </li> </ol> | <ul> <li>Rational Functions:</li> <li>Be able to<br/>decompose rational<br/>functions into<br/>partial fractions<br/>(denominators not<br/>more complicated<br/>than squared linear<br/>terms and with no<br/>more than 3 terms,<br/>numerators<br/>constant or linear)</li> <li>General Binomial<br/>Expansion:</li> </ul> |  |

|       | graphs and the   | in the CL system:                               | including simple   |   | De able ta  | 2       |   |   | De able te autor l  |
|-------|--|---|--|---|---|---------|---|---|---|
|       | graphs, and the discriminant   | in the S.I. system:<br>length (in metres),      | including simple<br>random sampling  | • | Be able to differentiate $x^n$ , for  | 2.<br>• | Further Trigonometry:<br>Understand and be  | • | Be able to extend the binomial  |
|       |  | time (in seconds),                              | and opportunity  |   |   | •       | able to use the   |   | expansion of $(a +$   |
| 1     | the square of the  | mass (in kilograms).                            | sampling.  |   | rational values of n,   |         | definitions of secant   |   | $bx)^n$ to any  |
|       | guadratic •  | Understand and be                               | Be able to select or   |   | and related   |         | $(sec \theta)$ , cosecant   |   | rational <i>n</i> , including   |
|       | polynomial   | able to use derived                             | critique sampling  |   | constant multiples,   |         | (cosec $\theta$ ) and   |   | its use for   |
| •   • |  | quantities and units:                           | techniques in the  |   | sums and  |         | cotangent( <i>cot</i> $\theta$ ) and  |   | approximation.  |
|       |  | velocity (m/s or m s <sup>-</sup>               | context of solving a   |   | differences.  |         | of $\arcsin \theta$ , $\arccos \theta$  | • | Know that the   |
|       | quadratic equations  | <sup>1</sup> ), acceleration                    | statistical problem,   | • | Understand and be   |         | and $\arctan \theta$ and  |   | expansion is valid  |
|       | including quadratic  | (m/s <sup>2</sup> or m s <sup>-2</sup> ), force | including  |   | able to use the   |         | their relationships to  |   | for $\left \frac{bx}{a}\right  < 1$ .   |
|       | equations in a   | (N), weight (N).                                | understanding that   |   | gradient of the   |         | $sin \theta$ , $cos \theta$ and $tan \theta$  |   |   |
|       | function of the 3.   | Understand, use                                 | different samples  |   | tangent at a point  |         | respectively.   | - | Triangle Coometru   |
|       | unknown.   | and derive the                                  | can lead to  |   | where $x = a$ as:   | •       | Understand the  |   | Triangle Geometry:<br>Understand and be   |
| •     | <ul> <li>Be able to solve</li> </ul>   | formulae for                                    | different  | • | the limit of the  |         | graphs of the   |   | able to use the sine  |
|       | linear and quadratic   | constant  | conclusions about  |   | gradient of a chord   |         | trigonometric   |   | and cosine rules.   |
|       | inequalities in a  | acceleration for                                | the population.  |   | as x tends to a   |         | functions and   |   | Understand and be   |
|       | single variable and  | motion in a straight                            | Be able to interpret   | • | a rate of change of y   |         | determine their   |   | able to use the area  |
|       | interpret such   | line:   | tables and   |   | with respect to x.  |         | ranges and domains.   |   | of a triangle in the  |
|       | inequalities   | v = u + at                                      | diagrams for single-   | • | Understand and be   | •       | Understand and be   |   | form $\frac{1}{2}ab \sin C$   |
|       | graphically,   | $s = ut + \frac{1}{2}at^2$                      | variable data.   |   | able to sketch the  |         | able to use $sec^2 \theta \equiv$   |   | $\frac{10}{2}$  |
|       | including  | 1 2   | Understand that  |   | gradient function   |         | $1 + tan^2 \theta$ and  | • | Radian Measure  |
|       | inequalities with  | $s = \frac{1}{2}(u+v)t$ $u^2 = u^2 + 2as$       | area in a histogram  |   | for a given curve.  |         | $\csc^2\theta \equiv 1 + \cot^2\theta$  | • | cont.:  |
|       | brackets and   | v - u + 2us                                     | represents   | • | Be able to identify   | •       | Understand and be   | • | Understand and be   |
|       | fractions.   | 1   | frequency  | - |   |         | able to use double  |   |   |
| ↓ ●   |  | 2   |  |   |   |         | 0   |   |   |
|       |  |   | -  |   |   |         |   |   |   |
|       | •  |   | U  |   | 0   |         |   |   | approximations of   |
|       | , 0  | vectors in two                                  | ,  | • |   |         |   |   | sine, cosine and  |
|       |  |   | 0  |   |   |         |   |   | tangent:  |
| ,     | •  |   | •  |   |   |         |   |   | $\sin\theta \approx \theta$ ,   |
|       |  | -   | U  | • |   |         | 0 1   |   | $\cos\theta \approx 1 - \frac{1}{2}\theta^2$  |
|       |  |   |  |   |   | •       |   |   | 2   |
|       |  |   |  |   | second derivative as  | -       |   |   | ,   |
|       |  |   |  |   | the rate of change  |         |   |   |   |
|       | 1  |   | understand   |   | of gradient.  |         |   |   |   |
|       | 3. Polynomials:  |   | informal   | • | Be able to apply  |         |   | • | Calculus of   |
|       | •  | _   | interpretation of  |   | differentiation to  |         | •   |   |   |
|       | maninulata   | -   | correlation.   |   | find the gradient at  |         | $R\sin(\theta \pm \alpha)$ .  |   | •   |
|       | polynomials  |   | • Be able to   |   | a point on a curve  | •       | Be able to construct  | • | Be able to  |
|       | algebraically.   |   | understand that  |   | and the equations   |         | proofs involving  |   | differentiate $e^{kx}$  |
|       |  | <b>o</b> ,                                      | correlation does   |   | of tangents and   |         | trigonometric   |   | and $a^{kx}$ , and  |
|       |  |   |  |   | normals to a curve.   |         |   |   | related sums,   |
|       | <ul> <li>Be able to express solutions through correct use of 'and' and 'or', or through set notation.</li> <li>Be able to represent linear and quadratic inequalities such as <math>y &gt; x + 1</math> and <math>y &gt; ax^2 + bx + c</math> graphically.</li> <li>Polynomials:</li> <li>Be able to manipulate polynomials</li> </ul> | Be able to use                                  | <ul> <li>Be able to interpret scatter diagrams and regression lines for bivariate data, including recognition of scatter diagrams which include distinct sections of the population.</li> <li>Be able to understand informal interpretation of correlation.</li> <li>Be able to understand that</li> </ul> | • | where functions are<br>increasing or<br>decreasing.<br>Understand and be<br>able to find second<br>derivatives.<br>Understand and be<br>able to use the<br>second derivative as<br>the rate of change<br>of gradient.<br>Be able to apply<br>differentiation to<br>find the gradient at<br>a point on a curve<br>and the equations<br>of tangents and | •       | angle formulae and<br>the formulae for<br>$sin(A \pm B)$ ,<br>$cos(A \pm B)$ and<br>$tan(A \pm B)$ .<br>Understand the<br>geometrical proofs of<br>these formulae.<br>Understand and be<br>able to use<br>expressions for<br>$a cos \theta + b sin \theta$ in<br>the equivalent forms<br>of $R cos(\theta \pm \alpha)$ or<br>$R sin(\theta \pm \alpha)$ .<br>Be able to construct<br>proofs involving | • | sine, cosine and<br>tangent:<br>$sin \theta \approx \theta$ ,<br>$cos \theta \approx 1 - \frac{1}{2}\theta^2$ ,<br>$tan \theta \approx \theta$ ,<br>where $\theta$ is in<br>radians<br><b>Calculus of</b><br><b>exponential and</b><br><b>trig functions:</b><br>Be able to<br>differentiate $e^{kx}$<br>and $a^{kx}$ , and |

| 4. 6<br>4. 6<br>4. 6<br>4. 6<br>4. 6<br>4. 6<br>5<br>6<br>8<br>6<br>8<br>6<br>7<br>9<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1   | Be able to simplify<br>rationalof vector addition<br>and multiplication<br>by scalars and<br>understand their<br>geometrical<br>interpretations.Orderstand and be<br>able to use graphs<br>of functions.understand their<br>geometrical<br>interpretations.Orderstand and be<br>able to use graphs<br>of functions.Understand and be<br>able to use position<br>vectors.Outlong<br>bolynomials.Understand and be<br>able to sketch<br>curves defined by<br>wet ax and $y = \frac{a}{x^2}$<br>including their<br>vertical and<br>horizontal<br>asymptotes).Be able to calculate<br>the distance<br>between two points<br>represented by<br>position vectors.Be able to interpret<br>he algebraic<br>solution of<br>equations<br>graphically.Further Vectors:<br>Be able to use<br>vectors in three<br>dimensions.5.Forces and Motion:<br>oncept and vector<br>nature of a force.Understand and be<br>oble to useUnderstand and be  | <ul> <li>mean, median,<br/>mode, percentile,<br/>quartile, inter-<br/>quartile range,<br/>standard deviation<br/>and variance.</li> <li>Be able to calculate<br/>mean and standard<br/>deviation from a<br/>list of data, from<br/>summary statistics<br/>or from a<br/>frequency<br/>distribution, using<br/>calculator statistical<br/>functions.</li> <li>Recognise and be<br/>able to interpret<br/>possible outliers in<br/>data sets and<br/>statistical diagrams.</li> <li>Be able to select or</li> </ul> | <ul> <li>Be able to apply differentiation to find and classify stationary points on a curve as either maxima or minima.</li> <li>Integration:         <ul> <li>Know and be able to use the fundamental theorem of calculus.</li> <li>Be able to integrate x<sup>n</sup> where n ≠ -1 and related sums, differences and constant multiples.</li> <li>Be able to evaluate definite integrals.</li> <li>Be able to use a definite integral to find the area between a curve and the x-axis.</li> </ul> </li> <li>Kinematics 2:         <ul> <li>Understand, use and interpret graphs</li> </ul> </li> </ul> | <ul> <li>functions and<br/>identities.</li> <li>Be able to use<br/>trigonometric<br/>functions to solve<br/>problems in context,<br/>including problems<br/>involving vectors,<br/>kinematics and forces.</li> <li>Functions: <ul> <li>Understand the effect<br/>of combinations of<br/>transformations on<br/>the graph of y = f(x)<br/>including sketching<br/>associated graphs,<br/>describing<br/>transformations and<br/>finding relevant<br/>equations.</li> <li>Understand and be<br/>able to use inverse<br/>functions and their<br/>graphs, and composite<br/>functions. Know the<br/>condition for the<br/>inverse function to<br/>exist and be able to<br/>find the inverse of a<br/>function either</li> </ul> </li> </ul> | <ul> <li>differences and constant multiples</li> <li>Be able to differentiate sin k x, cos k x, tan k x and related sums, differences and constant multiples.</li> <li>Be able to show differentiation from first principles for sin x and cos x.</li> <li>Understand and be able to use the derivative of ln x</li> </ul> |
|---|---|---|--|---|--|
| <ul> <li>C</li> <li>C&lt;</li></ul> | curves defined by<br>$y = \frac{a}{x}$ and $y = \frac{a}{x^2}$<br>including their<br>vertical and<br>horizontal<br>asymptotes).<br>Be able to interpret<br>the algebraic<br>colution of<br>equations<br>graphically.<br>Be able to use<br>ntersection points<br>of graphs to solve<br>equations.<br>Juderstand and be<br>able to use<br>proportional<br>elationships and<br>heir graphs.<br>$y = \frac{a}{x}$ and $y = \frac{a}{x^2}$<br>$y = \frac{a}{x^2}$<br>y = | <ul> <li>Be able to calculate mean and standard deviation from a list of data, from summary statistics or from a frequency distribution, using calculator statistical functions.</li> <li>Recognise and be able to interpret possible outliers in data sets and statistical diagrams.</li> <li>Be able to select or critique data presentation techniques in the</li> </ul>   | <ul> <li>x<sup>n</sup> where n ≠ -1<br/>and related sums,<br/>differences and<br/>constant multiples.</li> <li>Be able to evaluate<br/>definite integrals.</li> <li>Be able to use a<br/>definite integral to<br/>find the area<br/>between a curve<br/>and the x-axis.</li> <li>Kinematics 2:</li> <li>Understand, use</li> </ul>   | <ul> <li>the graph of y = f(x)<br/>including sketching<br/>associated graphs,<br/>describing<br/>transformations and<br/>finding relevant<br/>equations.</li> <li>Understand and be<br/>able to use inverse<br/>functions and their<br/>graphs, and composite<br/>functions. Know the<br/>condition for the<br/>inverse function to<br/>exist and be able to<br/>find the inverse of a<br/>function either<br/>graphically, by<br/>reflection in the line<br/>y = x, or<br/>algebraically.</li> <li>Be able to use</li> </ul>   | <ul> <li>Understand and be<br/>able to use the</li> </ul>  |
| • L<br>a<br>e<br>s<br>ir<br>y   | CoordinateNewton's secondGeometry:Iaw $(F = ma)$ forUnderstand and beine for bodies ofable to use theine for bodies ofequation of aconstant masstraight line,moving under theaction of constantforces. $y = mx + c, y - y_1 = m(x - x_1)$ forces.   | data, including   | and velocity-time<br>graphs, and in<br>particular<br>understand and be<br>able to use the facts<br>that the gradient of<br>a displacement-time<br>graph represents   | <ul> <li>be able to use functions in modelling.</li> <li>Be able to sketch the graph of the modulus of a linear function involving a single modulus sign.</li> <li>Be able to sketch the graph of the modulus</li> </ul>  |  |

| Г | and an the tr   | a Dissioned I II        | hinomial average                       | the velocity the                        | of a linear function                      |
|---|---|-------------------------|--|---|---|
|   | and $ax + by + c =$   | Understand and be       | binomial expansion                     | the velocity, the                       | of a linear function                      |
|   | 0<br>De able te vez the   | able to use             | of $(a + bx)^n$ for                    | gradient of a                           | involving a single                        |
|   | Be able to use the  | Newton's second         | positive integer n                     | velocity-time graph                     | modulus sign.                             |
|   | gradient conditions   | law ( $F = ma$ ) in     | and the notations                      | represents the                          | Understand and be                         |
|   | for two straight  | simple cases of         | $n!$ and ${}^{n}C_{r}$ , ${}_{n}C_{r}$ | acceleration, and                       | able to use the                           |
|   | lines to be parallel  | forces given as two     | ,                                      | the area between                        | definition of a                           |
|   | or perpendicular.   | dimensional vectors.    | or $\binom{n}{r}$ , with               | the graph and the                       | function.                                 |
|   | <ul> <li>Be able to use</li> </ul>                              | Understand and be       | ${}^{n}C_{0} = {}^{n}C_{n} = 1.$       | time axis for a                         | Understand and be                         |
|   | straight line models  | able to use the         | Understand and know                    | velocity-time graph                     | able to use the                           |
|   | in a variety of   | weight ( $W = mg$ )     | the link to binomial                   | represents the                          | modulus function,                         |
|   | contexts.   | of a body to model      | probabilities.                         | displacement.                           | including the notation                    |
|   | 1   | the motion in a         | 3. Probability:                        | <ul> <li>Be able to use</li> </ul>      | x , and use relations                     |
|   | <ul> <li>Understand and be</li> </ul>                           | straight line under     | Understand and be                      | differentiation and                     | such as $ a  =  b  \Leftrightarrow a^2 =$ |
|   | able to use the   | gravity.                | able to use                            | integration with                        | $b^2$ and $ x-a  < b \Leftrightarrow a -$ |
|   | coordinate  | Understand the          | mutually exclusive                     | respect to time in                      | b < x < a + b in the                      |
|   | geometry of a circle  | gravitational           | and independent                        | one dimension to                        | course of solving                         |
|   | including using the   | acceleration, g, and    | events when                            | solve simple                            | equations and                             |
|   | equation of a circle  | its value in S.I. units | calculating                            | problems                                | inequalities.                             |
|   | in the form   | to varying degrees      | probabilities.                         | concerning the                          | 4. Further                                |
|   | $\frac{(x-a)^2 + (y-b)^2}{r^2} =$                               | of accuracy.            | Be able to use                         | displacement,                           | Transformations:                          |
|   | Be able to complete   | Understand and be       | appropriate                            | velocity and                            | Understand the effect                     |
|   | the square to find  | able to use             | diagrams to assist                     | acceleration of a                       | of simple                                 |
|   | the centre and  | Newton's third law.     | in the calculation of                  | particle:                               | transformations on                        |
|   | radius of a circle.   | Understand and be       | probabilities.                         | $v = \frac{ds}{dt}$                     | the graph of $y = f(x)$                   |
|   | <ul> <li>Be able to use the</li> </ul>                          | able to use the         | Understand and be                      | đt                                      | including sketching                       |
|   | following circle  | concept of a normal     | able to use simple,                    | $dv d^2s$                               | associated graphs,                        |
|   | properties in the   | reaction force          | finite, discrete                       | $a = \frac{dv}{dt} = \frac{d^2s}{dt^2}$ | describing                                |
|   | context of  | Be able to use the      | probability                            | ai at-                                  | transformations and                       |
|   | problems in   | model of a 'smooth'     | distributions,                         | $s = \int v dt$ and                     | finding relevant                          |
|   | coordinate  | contact and             | defined in the form                    | ,<br>C                                  | equations:                                |
|   | geometry:   | understand the          | of a table or a                        | $v = \int adt$                          | y = af(x),                                |
|   | <ul><li>the angle in a</li></ul>                                | limitations of the      | formula such as:                       | J                                       | y = f(x) + a,                             |
|   |   | model.                  | P(X = x) = 0.05x(x + x)                | 7. Logarithms:                          | y = f(x + a) and                          |
|   | semicircle is a right   | Understand the          | 1)                                     | Know and use the                        | y=f(ax),                                  |
|   | angle,<br>➤ the perpendicular                                   | concept of a            | for $x = 1,2,3$ .                      | definition of $log_a x$                 | for any real <i>a</i> .                   |
|   | from the centre of  | frictional force and    | Understand and be                      | (for $x > 0$ ) as the                   |   |
|   | a circle to a chord   | be able to apply it in  | able to use the                        | inverse of $a^x$ (for all               |   |
|   | bisects the chord.  | contexts where the      | binomial                               | x), where a is                          |   |
|   | <ul> <li>bisects the chord,</li> <li>the radius of a</li> </ul> | force is given in       | distribution as a                      | positive.                               |   |
|   |   | vector or               | model                                  | <ul> <li>Understand and be</li> </ul>   |   |
|   | circle at a given   | component form, or      | Be able to calculate                   | able to use the laws                    |   |
|   | point on its<br>circumference is                                | the magnitude and       | probabilities using                    |   |   |
|   |   |                         | the binomial                           | of logarithms:                          |   |
|   | perpendicular to  | 1                       |  |   |   |

| · · · ·  |                                      |    | 11 · · · · · · ·       | 1  |   |  |  |
|----------|--------------------------------------|----|------------------------|----|---|--|--|
|          | angent to the direction of the       |    | distribution, using    |    | $g_a x + \log_a y = \log_a(xy)$                         |  |  |
|          | e at that point. force are given.    |    | appropriate            | la | $\log_a x - \log_a y = \log_a \left(\frac{x}{y}\right)$ |  |  |
|          | angle in a 6. <b>Connected</b>       |    | calculator             |    | $k \log_a x = \log_a x^k$                               |  |  |
| semio    | circle is a right <b>Particles</b> : |    | functions.             |    | (including, for   |  |  |
| angle    |                                      | 4. | Hypothesis             |    | example, $k = -1$                                       |  |  |
| ➤ the p  | perpendicular concept of             |    | Testing:               |    | and $k = -\frac{1}{2}$ ).                               |  |  |
| from     | the centre of equilibrium            | •  | Understand and be      | •  | Be able to solve  |  |  |
| a circ   | cle to a chord together with one     |    | able to use the        |    | equations of the  |  |  |
| bisec    | cts the chord, dimensional motion    |    | language of            |    | form $a^x = b$ for                                      |  |  |
| > the ra | adius of a in a straight line to     |    | statistical            |    | a > 0.  |  |  |
| circle   | e at a given solve problems that     |    | hypothesis testing,    |    |   |  |  |
| point    | t on its involve connected           |    | developed through      | 8. | Exponential   |  |  |
| circu    | mference is particles and            |    | a binomial model:      |    | Models:   |  |  |
| perpe    | endicular to smooth pulleys.         |    | null hypothesis,       | •  | Know and use the  |  |  |
| the ta   | angent to the    Be able to solve    |    | alternative            |    | function $a^x$ and its                                  |  |  |
| circle   | e at that point. problems involving  |    | hypothesis,            |    | graph, where a is                                       |  |  |
|          | simple cases of                      |    | significance level,    |    | positive.   |  |  |
|          | equilibrium of                       |    | test statistic, 1-tail | •  | Know that the   |  |  |
|          | forces on a particle                 |    | test, 2-tail test,     |    | gradient of $e^{kx}$ is                                 |  |  |
|          | in two dimensions                    |    | critical value,        |    | equal to $ke^{kx}$ and                                  |  |  |
|          | using vectors,                       |    | critical region,       |    | hence understand  |  |  |
|          | including connected                  |    | acceptance region,     |    | why the exponential                                     |  |  |
|          | particles and                        |    | p-value.               |    | model is suitable in                                    |  |  |
|          | smooth pulleys.                      | •  | Be able to conduct     |    | many applications.                                      |  |  |
|          |                                      |    | a statistical          | •  | Know and use the  |  |  |
|          |                                      |    | hypothesis test for    |    | function <i>ln x</i> and its                            |  |  |
|          |                                      |    | the proportion in      |    | graph.  |  |  |
|          |                                      |    | the binomial           | •  | Know and use $ln x$                                     |  |  |
|          |                                      |    | distribution and       |    | as the inverse  |  |  |
|          |                                      |    | interpret the          |    | function of $e^x$                                       |  |  |
|          |                                      |    | results in context.    |    | Be able to use  |  |  |
|          |                                      | •  | Understand that a      |    | logarithmic graphs                                      |  |  |
|          |                                      |    | sample is being        |    | to estimate   |  |  |
|          |                                      |    | used to make an        |    | parameters in   |  |  |
|          |                                      |    | inference about the    |    | relationships of the                                    |  |  |
|          |                                      |    | population and         |    | form $y = ax^n$ and                                     |  |  |
|          |                                      |    | appreciate that the    |    | $y = kb^x$ , given data                                 |  |  |
|          |                                      |    | significance level is  |    | $y = k D^{*}$ , given data<br>for x and y.              |  |  |
|          |                                      |    | the probability of     |    | Understand and be                                       |  |  |
|          |                                      |    | incorrectly            |    | able to use   |  |  |
|          |                                      |    | rejecting the null     |    | exponential growth                                      |  |  |
|          |                                      |    | hypothesis.            |    | and decay and use                                       |  |  |
|          |                                      | 5. | Trigonometry:          |    |   |  |  |
|          |                                      | _  | 5 1                    |    | the exponential   |  |  |

|   |  | <ul> <li>Understand and be able to use the definitions of sine, cosine and tangent for all arguments.</li> <li>Understand and be able to use the sine, cosine and tangent functions, their graphs, symmetries and periodicities.</li> <li>Understand and be able to use tan <math>\theta \equiv \frac{\sin \theta}{\cos \theta}</math> and <math>\sin^2 \theta + \cos^2 \theta \equiv 1</math></li> <li>Be able to solve simple trigonometric equations in a given interval, including quadratic equations in <math>sin \theta</math>, <math>cos \theta</math> and and <math>tan \theta</math> equations in <math>sin \eta</math>, <math>cos \theta</math> and and <math>tan \theta</math> equations in <math>sin \eta</math>, and <math>cos \theta</math> and and <math>tan \theta</math> equations in <math>sin \eta</math>, and <math>cos \theta</math> and and <math>tan \theta</math> equations in <math>sin \eta</math>, and <math>cos \theta</math> and and <math>tan \theta</math> equations in <math>sin \eta</math>, <math>cos \theta</math> and and <math>tan \theta</math> equations in <math>sin \theta</math>, <math>cos \theta</math> and and <math>tan \theta</math> equations involving multiples of the unknown angle.</li> </ul> |   |
|---|--|---|---|
| Understanding / Sequence<br>of delivery | <ol> <li>Building on prior knowledge and making connection</li> <li>Problem solving embedded, including in use of example.</li> <li>Ensure understanding of detail required in responsion</li> </ol> | •   | l words   |
| Assessment                              | End of Topic Assessed Homework on paper<br>or online via Integral<br>Exam Style Questions  | End of Topic Assessed Homework on paper<br>or online via Integral<br>Exam Style Questions   | End of Topic Assessed Homework on paper<br>or online via Integral<br>Exam Style Questions |
|   | POP Test   | Topic tests   | PPE   |

| F | Past Exam Questions                      | Past Exam Questions                      | Past Exam Questions                      |  |  |
|---|--|--|--|--|--|
|   | Grade Boundaries based on A Level 2019 & | Grade Boundaries based on A Level 2019 & | Grade Boundaries based on A Level 2019 & |  |  |
| 2 | 2022                                     | 2022                                     | 2022                                     |  |  |